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# DILATIONS

## Guided Notes

Name: \_\_\_\_\_

Date: \_\_\_\_\_

### BASIC INFORMATION:

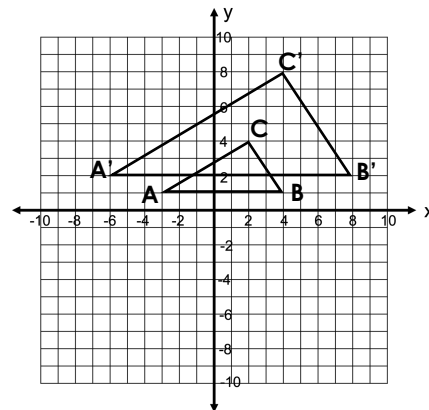
A **dilation** is a transformation that produces an image that is the same \_\_\_\_\_ as the original but is a different \_\_\_\_\_.

Unlike other transformations a dilation is not a \_\_\_\_\_ because size and shape are not preserved.

A **center of dilation** is the point about which a figure is dilated. (We will only use the origin as our center of dilation.)

A figure that has been dilated has just been multiplied by a **scale factor (k)**.

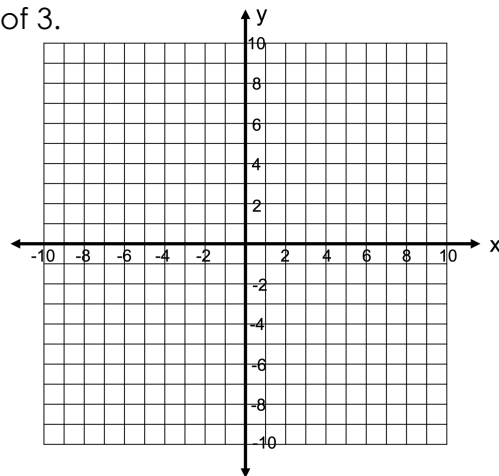
The dilation is a reduction if  $k$  \_\_\_\_\_ and an enlargement if  $k$  \_\_\_\_\_.



### PERFORMING DILATIONS:

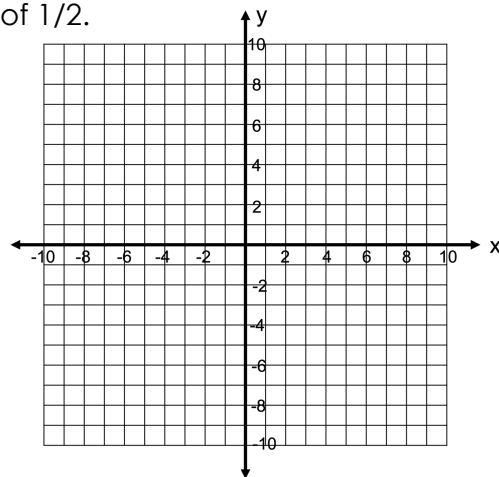
1. Graph the figure and its image after a dilation with a scale factor of 3.

$$\left. \begin{array}{l} J(-2, 3) \\ K(0, 1) \\ L(3, 3) \end{array} \right\} \times \quad \longrightarrow \quad \begin{array}{l} J' \quad \_\_\_\_\_\_ \\ K' \quad \_\_\_\_\_\_ \\ L' \quad \_\_\_\_\_\_ \end{array}$$



2. Graph the figure and its image after a dilation with a scale factor of  $1/2$ .

$$\begin{array}{l} A(-8, 6) \\ B(4, 6) \\ C(4, -4) \\ D(-8, -4) \end{array} \quad \longrightarrow \quad \begin{array}{l} A' \quad \_\_\_\_\_\_ \\ B' \quad \_\_\_\_\_\_ \\ C' \quad \_\_\_\_\_\_ \\ D' \quad \_\_\_\_\_\_ \end{array}$$



# DILATIONS

## Guided Notes

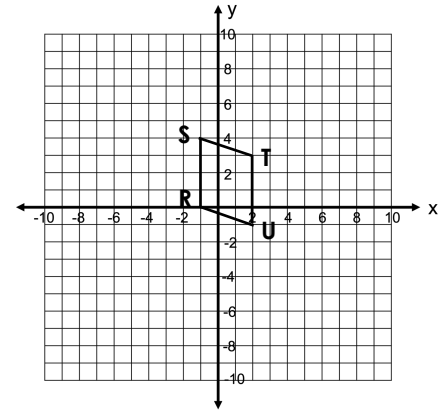
Name: \_\_\_\_\_

Date: \_\_\_\_\_

### Check:

Determine the coordinates of the image after it has been dilated by  $k = 2$ .

R' \_\_\_\_\_ S' \_\_\_\_\_ T' \_\_\_\_\_ U' \_\_\_\_\_



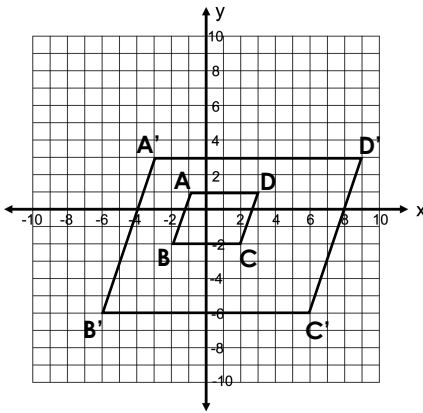
### FINDING SCALE FACTOR:

On each graph the figures have been dilated. Find the scale factor of each dilation and determine whether it is a reduction or enlargement.

1. Scale Factor: \_\_\_\_\_

Circle One:

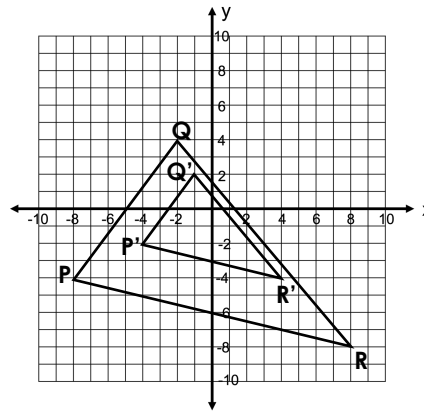
Reduction or Enlargement



2. Scale Factor: \_\_\_\_\_

Circle One:

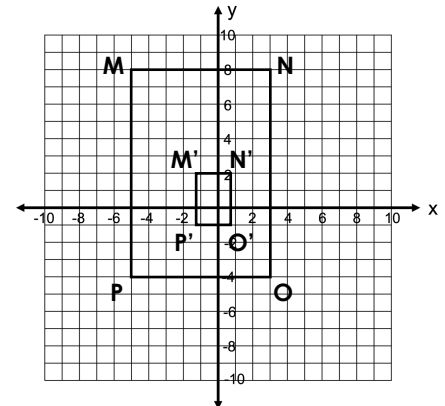
Reduction or Enlargement



### Check:

Determine the scale factor for the given dilation.

- a. 2
- b.  $1/2$
- c. 4
- d.  $1/4$



# DILATIONS

## Guided Notes

Name: ANSWER KEY

Date: \_\_\_\_\_

### BASIC INFORMATION:

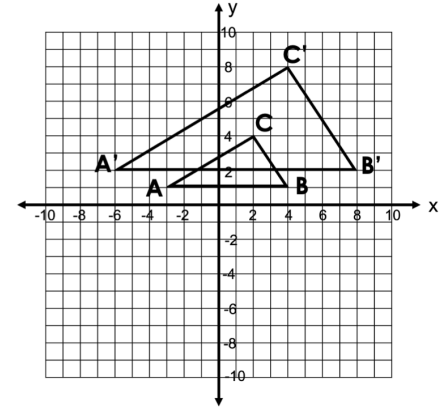
A **dilation** is a transformation that produces an image that is the same shape as the original but is a different size.

Unlike other transformations a dilation is not a rigid motion because size and shape are not preserved.

A **center of dilation** is the point about which a figure is dilated. (We will only use the origin as our center of dilation.)

A figure that has been dilated has just been multiplied by a **scale factor (k)**.

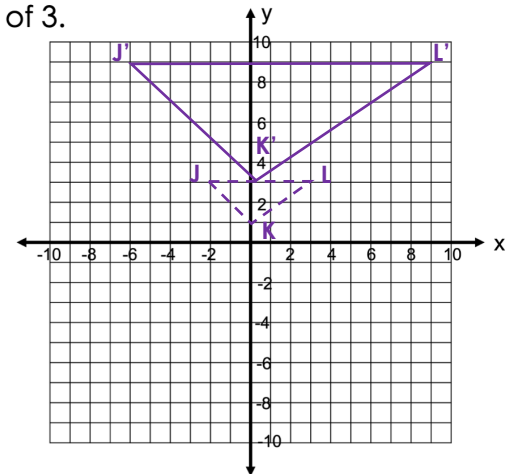
The dilation is a reduction if  $k < 1$  and an enlargement if  $k > 1$ .



### PERFORMING DILATIONS:

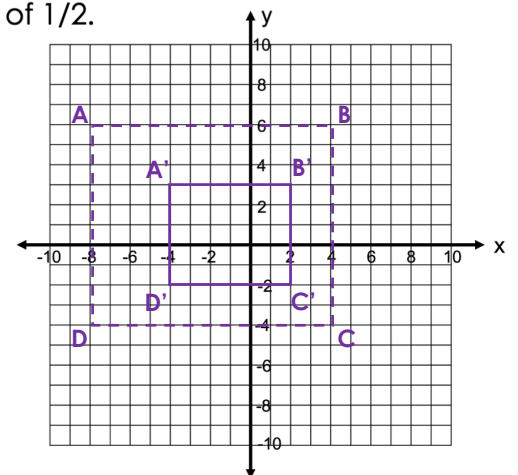
1. Graph the figure and its image after a dilation with a scale factor of 3.

$$\begin{array}{l} J(-2, 3) \\ K(0, 1) \\ L(3, 3) \end{array} \times \underline{3} \longrightarrow \begin{array}{l} J'(-6, 9) \\ K'(0, 3) \\ L'(9, 9) \end{array}$$



2. Graph the figure and its image after a dilation with a scale factor of 1/2.

$$\begin{array}{l} A(-8, 6) \\ B(4, 6) \\ C(4, -4) \\ D(-8, -4) \end{array} \longrightarrow \begin{array}{l} A'(-4, 3) \\ B'(2, 3) \\ C'(2, -2) \\ D'(-4, -2) \end{array}$$



# DILATIONS

## Guided Notes

Name: ANSWER KEY

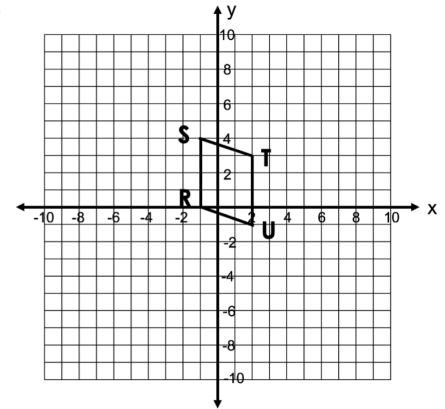
Date: \_\_\_\_\_

### Check:

Determine the coordinates of the image after it has been dilated by  $k = 2$ .

R (-1, 0)      S (-1, 4)      T (2, 3)      U (2, -1)

R' (-2, 0)      S' (-2, 8)      T' (4, 6)      U' (4, -2)



### FINDING SCALE FACTOR:

On each graph the figures have been dilated. Find the scale factor of each dilation and determine whether it is a reduction or enlargement.

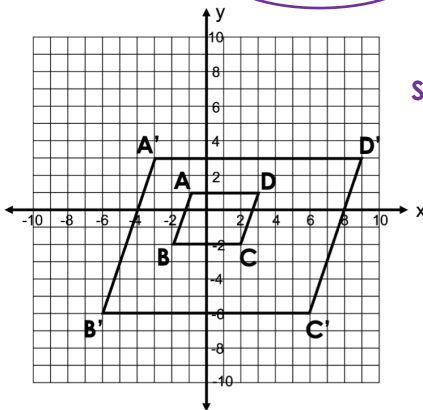
Note: To determine scale factor take any coordinate from a point or spot in the image and divide by the corresponding value in the pre-image. (Ex. y value of B'/y value of B or height of A'D'/height of AD)

1. Scale Factor: 3

2. Scale Factor: 1/2

Circle One:

Reduction or Enlargement

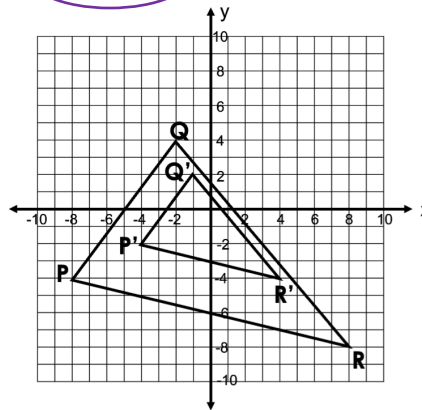


Sample Work:

$$\frac{\text{Y-value of A'}}{\text{Y-value of A}} = \frac{3}{1} = 3$$

Circle One:

Reduction or Enlargement



Sample Work:

$$\frac{\text{x-value of P'}}{\text{x-value of P}} = \frac{-4}{-8} = 1/2$$

Note: I have my students determine whether it is a reduction or an enlargement first and then compare their scale factor answer with the fact that it is a reduction/enlargement. This helps to double check that they divided correctly and used image/pre-image as opposed to just quickly dividing.

### Check:

On ex. 2 students will rush and just tell me the scale factor is 2 but if I have them compare that to the fact that they told me it is a reduction they realize for themselves that they need to go back and check their work.

Determine the scale factor for the given dilation.

- a. 2
- b. 1/2
- c. 4
- d. 1/4

Sample Work:

$$\frac{2}{8} = 1/4$$

or

$$\frac{0.75}{3} = 0.25 = 1/4$$

